Adaptive Scheme for Outliers Detection in Wireless Sensor Networks

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ABSTRACT

Nowadays, Wireless Sensor Networks (WSNs) have become a way of information gathering and monitoring. These particular kinds of ad hoc networks find applications in various fields such as healthcare, army and environment, etc. However, WSNs are subjected to a number of faults, either due to the worst communication links, the hostile environment in which they are deployed or due to energy constraints. Thereby, to ensure the Quality of Service (QoS) in such networks, it is important that WSNs become capable of detecting and recovering erroneous data. In this way, many outlier detection techniques have been proposed. These techniques are based on information theory, statistics and other techniques. The Nearest Neighbour Search is one of these techniques. It uses the Euclidean or Mahalanobis distance for detecting outliers in a given sensor networks. In this paper, we proposed a distributed adaptive approach for the detection of outliers. The proposed approach is based on Euclidean or Mahalanobis distance, depending on the size of the data collected. Extensive experiments have been conducted and the results confirmed the effectiveness of the proposal.

Keywords: Wireless Sensor Networks, Outlier Detection, Mahalanobis Distance, Euclidean Distance, Fault Tolerance.

1 INTRODUCTION

A. Background

A Wireless Sensor Network (WSN) can be considered as a network of small wireless sensor devices denoted as nodes, which can sense information from a given environment and communicate the gathered data through wireless link to a sink, which can locally exploit the data or forward it to end users through gateways [3,28,31]. Moreover, WSN have infiltrated our daily life such as medical monitoring, military surveillance, vehicle monitoring, home automation monitoring, weather monitoring, building structures monitoring, and industrial plant monitoring [12, 16, 25].

However, in some applications, nodes are deployed in remote and harsh environments (forest fire, earth-quake or chemical spill) [4,24]. In such areas, nodes can be failed due to the energy depletion, hardware failures, communication link errors and even intrusion from attackers [13,23]. These problems reduce the quality of the gathered data and the entire network. At this stage, it is necessary to set up a mechanism to ensure the quality of the collected data in order to allow taking suitable decision. To improve the quality of data in WSN, we should remove all the abnormal data from the network. This incorrect one is called outlier, which is defined as an observation that deviates from other observations as to arouse suspicion that it was generated by a different mechanism [9]. Many techniques are proposed in
literature for detecting outliers in a WSN. They are categorized in [30]:

- Statistical-based approach;
- Nearest Neighbor approach;
- Clustering based approach;
- Classification-based approach;
- Spectral Decomposition based approach.

We also note hybrid approaches which combine at least two techniques. This allows in some cases to exploit advantages of approaches while overcoming their weaknesses. Most of the existing works did not take in account multivariate data and assumed that the data are univariate [23,30]. In fact, they did not consider when the attributes are together. This fact can create anomaly while we do not observe any problem when we have an individual attribute.

B. Authors’ contributions

In this paper, we present an adaptive model for outlier detection in WSN that is based on Nearest Neighbor approach. We use Mahalanobis and Euclidean distance inside clusters for detecting outlier in a set of gathered data. The main idea behind our technique is to exploit one of these two theorems, depending on the size of the data collected by sensor nodes, for detection of outliers. In short, our main contributions can be summarized as follows:

- formulation of the outlier detection problem;
- determining value of transition between two metrics for outliers detection;
- proposition of time for transition between two detection;
- proposition and evaluation of two metrics for outliers detection in WSN;

C. Organization of the paper

The rest of the paper is organized as follows. Sect. 2 presents a brief review of some related works with the outliers detection in WSNs. Sect. 3 presents the system design of our proposal and the problem formulation. Sect. 4 describes the proposed approach and the scheme design while in Sect. 5 we show the performance evaluation and a discussion on results. Finally, Sect. 6 reports conclusion of our work and the future direction.

2 RELATED WORKS

During the past few years several techniques for detecting outliers in a WSN have emerged to improve the quality of the data collected by the sensors and thus allow their proper use. These techniques are those based on: statistical, nearest neighbor, spectral decomposition, clustering, classification [10, 30, 15, 2].

In statistical based approach, the authors in [29] addressed the quality of data in WSN by proposing a technique which can identify outlier in a real time manner. The methodology proposed makes use of time-series analysis and geostatistics. Bettencourt et al. [5] proposed a distributed method for anomalies identification and detection in ecology. In their approach, each sensor node examines the statistical distribution between its own measures and each of its neighboring nodes, and between its past and existing measures.

However, the techniques described above have in common that the aim is to detect the error and to distinguish between error and event. A drawback of these techniques is that they do not take into account the energy aspect which is also the cause [20] of outliers. Sheng et al. [21] proposed a Histogram based technique to identify anomalies. The authors claim that their technique can reduce significantly the communication overhead.

Moreover, in Nearest Neighbor based approach, Salem et al. [19] proposed a technique for detecting abnormalities in health field, particularly in the context of monitoring vital signs of patient. The proposed method use Mahalanobis distance for the detection of outliers and Kernel density to identify the source of the outlier. This approach aims at making the difference between a wrong measurement and effective degradation of patient’s condition. The authors in [11] proposed a technique for identifying a subset of outlier among all data collected by the sensors. The Euclidean distance and fuzzy logic is used for the detection of outlier. With this technique outlier is firstly identified and secondly classified as event or error.

However, the nearest neighbor approach has a high computational complexity as mentioned in [10, 20]. This is an inconvenience for techniques based on this approach. Some research work has been done to alleviate this problem. Xie et al. [27] proposed a hypergrid K-NN (Nearest Neighbor) online scheme for outlier detection. This scheme aims at reducing computational complexity and communication overhead.

In spectral decomposition, Mahmoud et al. [14] proposed a method to find abnormal behavior of user activity in smart home environment equipped with sensors. The method uses Principal Component Analysis (PCA) and fuzzy-rule based for identification of abnormal behavior in an intelligent environment and then classifies them. In [8], authors proposed a centralize scheme for outlier detection. The scheme makes use of
Principal Component Analysis to resolve the problem of data integrity and accuracy. Most techniques for outlier detection which are based on spectral decomposition use PCA. However according to [30], selection of suitable principle components is computational expensive.

In clustering based approach, Aggarwal and Singh [1] proposed a technique that uses K-mean algorithm for clustering and then find outlier dataset. Manhattan and Euclidean distance are used in that algorithm to find mean of each cluster. The mean is then used to detect outlier. Furthermore, Rajasegarar et al. [17] proposed a distributed anomalies detection which aims at minimizing communication overhead. Moreover, Branch et al. [7] have also proposed an approach for the detection of outliers in a WSN. This approach allows both a reduction in the use of the bandwidth and a reduction in energy consumption. It uses a single jump for communication, which facilitates the detection of faulty sensor nodes. However, clustering based technique suffers from the choice of an appropriate parameter of cluster width [30].

Moreover, classification based approaches are divided into Support Vector Machine (SVM) based and Bayesian Network based. In Bayesian network based, Chafiq et al. [22] proposed an approach that uses Bayesian and inference concept to well classify outliers and normal data. This approach improves the accuracy of detection by the use of two levels (the sensor nodes and the cluster head or gateway). The idea behind this technique is to exploit the hierarchical structure of the network and the limited computing capacity of sensor nodes. At the first level, the sensors can tell whether or not they detect erroneous data and the decision of each sensor node will be merged on a large scale (at the gateway, cluster head) to detect erroneous data. This merger provides support for dynamic nature of networks.

In addition, Salem et al. [18] proposed a framework to identify abnormal behavior in wireless body area network for healthcare monitoring. The proposed method uses SVM to classify abnormal data in incoming sensor data. This approach has been conducted using real patient data and the results show that anomalies are quickly identified but the communication overheads are not taken into account.

In this paper, we propose an adaptive outlier detection model for wireless sensors networks. The model uses Mahalanobis and Euclidean distance for detection while taking into account the size of data gathered by the sensors. The model is performed in a distributed manner and aims at taking into account the correlation between the gathered data.

3 SYSTEM DESIGN

A. Assumptions

We consider a model of WSN with N sensors scattered in a 2-dimensional environment. Each sensor has a unique identifier \( i \in [1,N] \). We assume that all sensors are stationary and homogeneous. In addition, their batteries cannot be recharged. Moreover, sensors have the same computation and power capabilities. We assume that our network is organized in clusters and let us consider that all the gathered data are collected by Cluster Heads (CH) and forwarded to a central Base Station (BS), where the data processing occurs. However, we assume that some local processing may occur in sensor nodes as well as in CHs in order to reduce the overall communication cost. Finally, let us consider that there are no malicious attacks on the considered WSN.

B. Problem formulation

The proposed outliers detection technique is a distributed adaptive model based on the Nearest Neighbor Search (NNS) [6]. The NNS is seen as a proximity search problem that is brought back to an optimization problem for finding closest points on a \( d \)-dimensional space. In fact, the main goal of the NNS is to find a point that minimizes a given objective function, which is in our case, the distance between vectors of gathered data by sensors. Formally, let \( M \) be a \( k \)-dimensional subspace of \( d \)-space, i.e., \( M \subset d \). Let \( V = \{v_1,v_2,\ldots,v_n\} \) be a set of \( n \) data vectors all living in \( M \) and having at least unit norm. Also, let us consider a query vector \( q \in M \). The resulting optimization can be formulated as given in Equation 1.

\[
X_q = \arg\min_{v_i \in V} \rho(v_i,q)
\]  

Generally, \( M \) is a metric space and the considered dissimilarity is a distance metric. Hence, by considering the Equation 1, a simple solution to the NNS problem is to compute \( \rho \) as a distance measure from the query data vector \( q \) to each sensor’s data vector in \( V \) and return the closest one. This approach is known as the linear search method and usually it is guaranteed to find the exact nearest
data vector. Moreover, since M is taken to be the d-dimensional vector space, in our proposal the dissimilarity is measured by using the Euclidean distance and the Mahalanobis distance in order to detect outliers while taking into account the size of the gathered information by each sensor, with a maximal computational complexity of $O(n \times d)$.

4 PROPOSED APPROACH

A. Detection metrics

At each sensor level, we used either the Euclidean distance or the Mahalanobis distance metrics to detect outliers. Formally, the Euclidean distance $d_E(v_i, v_j)$ between two data vectors $v_i = (v_{i1}, v_{i2}, ..., v_{id})^T$ and $v_j = (v_{j1}, v_{j2}, ..., v_{jd})^T$ where $i, j \in [1, N] \cap$, in the d-dimensional space $d$ is defined in Equation 2.

$$
d_E(v_i, v_j) = \sqrt{(v_i - v_j)^T(v_i - v_j)} = \sqrt{\sum_{k=1}^{d} (v_{ik} - v_{jk})^2} \tag{2}
$$

Finally, for a given threshold of the data, the correlation between variables is needed in the computation of the distances among data vectors. The correlation need to be considered since there are associations among data vectors. Used for the detection of outliers, the Mahalanobis distance $d_M(\bar{v}_i, \bar{v}_j)$ can be defined as a dissimilarity measure between two random data vectors $v_i = (v_{i1}, v_{i2}, ..., v_{id})^T$ and

$$
\bar{v}_j = (v_{j1}, v_{j2}, ..., v_{jd})^T, \text{ where } i, j \in [1, N] \cap, \text{ in the } d \text{-dimensional space } d \text{ of the same distribution with } d \times d \text{ covariance matrix } \Sigma. \text{ The Mahalanobis distance } d_M(\bar{v}_i, \bar{v}_j) \text{ is given in Equation 3.}
$$

$$
d_M(\bar{v}_i, \bar{v}_j) = \sqrt{(\bar{v}_i - \bar{v}_j)^T \Sigma^{-1} (\bar{v}_i - \bar{v}_j)} \tag{3}
$$

Where $\Sigma^{-1}$ is the inverse of the covariance matrix $\Sigma$.

In particular, if a data vector $\bar{v}_j = (v_{j1}, v_{j2}, ..., v_{jd})^T$ has a vector $\mu = (\mu_1, \mu_2, ..., \mu_d)^T$ of means of the $d$ data vectors and if the underlying distribution of the $d$ random data vectors is exactly multivariate normal with a $d \times d$ covariance matrix $\Sigma$, then Mahalanobis distance $d_M(\bar{v}_i)$ of a given data vector $\bar{v}_i$ from $\mu$ can be defined as given in Equation 4.

$$
d_M(\bar{v}_i) = \sqrt{(\bar{v}_i - \bar{u})^T \Sigma^{-1} (\bar{v}_i - \bar{u})} \tag{4}
$$

B. Scheme design and algorithm

In the design of the proposed scheme, we take into account the correlation between the small size data. In addition, our proposal aims at reducing the computation complexity introduced by large size data. Concretely, within clusters, each sensor node will itself decide on detecting an outlier by using our proposed NNS scheme. The detection of outliers is achieved by an alarm decision function. Let us define a value $\gamma$ that represents the exact number of gathered data by a sensor in a given data vector. So, by supposing that $\chi \sim N_d(\mu, \Sigma)$, $\chi = (\chi_1, \chi_2, ..., \chi_d)$ is a random $d$-dimensional random data vector that follows a multivariate normal distribution with the mean vector $\mu$ and a positive $d \times d$ covariance matrix $\Sigma$, then the $d_M^2 \sim \chi^T \gamma_{0.975}$, where $0.975$ is the quantile used for the detection of outliers. So, the alarm decision function is given in Equation 5 and the associated detection algorithm is described in Algorithm 1.

$$
\mathcal{A}_i = \begin{cases} 
1 & \text{if } d_M, d_E \geq \sqrt{\chi^2_{0.975}} \\
0 & \text{Otherwise}
\end{cases} \tag{5}
$$

Algorithm 1: The alarm signaling algorithm

Function alarmSignaling

Begin
1. Input
Data vectors $w = (w_1, w_2, ..., w_d)^T$.
2. $e = (e_1, e_2, ..., e_d)^T$.
Distance Metric $\text{Distance Metric}$.
3. $\text{MAHALANOBIS}$, or $\text{EUCLEDIAN}$.
4. Outlier Detection.
5. Compute the distance according to Equations 2 or 3.
6. Compute the alarm signaling $\mathcal{A}_i$ according to Equation 5.
7. If $\mathcal{A}_i = 1$
8. return OUTLIER.
9. else
10. return INLIER.
End

In the proposed scheme for outliers detection, the data gathered by the sensors are initialized in a d-
dimensional data vector \( v = (v_1, v_2, \ldots, v_d)^T \). Let \( \theta \) be a certain threshold used to choose the accurate distance measure \( \rho \) that is used for determining outliers, as described in the following points. From the large experiments conducted with \( \gamma \) less than 100, we got \( \theta = 50 \). Hence:

- if \( \gamma < \theta \), then we compute the Mahalanobis distance between the recordings of a sensor, i.e., \( v \) and that of one of its neighbors. If the square of the distance is greater than \( \chi^2_{\gamma, 0.95} \), then we are in the presence of an outlier otherwise it is an inlier, i.e., a normal value.

- if \( \gamma \geq \theta \), then we compute the Euclidean distance between the recordings of a sensor and that of one of its neighbors. If the square of the distance is greater than \( \chi^2_{\gamma, 0.95} \), then we are in the presence of an outlier otherwise it is an inlier.

Furthermore, our outliers detection scheme follows a Poisson process with parameter \( \lambda \). So, we used the exponential distribution to determine the time between successive outliers detection. By supposing that \( x \) is the time between detection, the probability density function is given in Equation 6. Without loss of generality, we consider a pause time \( \bar{t} \) (see Equation 7) that the mean time between detection.

\[
f(x) = \lambda e^{-\lambda x}
\]  

\[
\bar{t} = \frac{1}{\lambda}
\]  

The complete steps of the proposed scheme is given in the Algorithm 2. Also, in order to have a clear picture on operations achieved in the proposal, Figure 1 provides a flow chart showing the whole operations performed in the proposed scheme.

**Algorithm 2.** The outliers detection algorithm

1. Initialize data vector;
2. Initialize \( T \);
3. Set TimeElapsed = 0;
4. do
   5. for each cluster
      6.    for each sensor
      7.       if \( \gamma < \theta \)
      8.          Launch alarmSignaling with \( \_\text{MAHALANOBIS} \)
      9.          Wait a time \( \bar{t} \) before the next detection
     10. else if \( \gamma \geq \theta \)
     11.     Launch alarmSignaling with \( \_\text{EULIDIAN} \)
     12.     Wait a time \( \bar{t} \) before the next detection
     13. Update Data vector;
     14. Update TimeElapsed;
     15. while TimeElapsed < \( T \)
   End

**5 PERFORMANCE EVALUATION**

In this section, we propose a performance evaluation of the proposed scheme for outliers detection by performing extensive simulation according to some proposed evaluation metrics.

**A. Evaluation Metrics**

To evaluate the performance of the proposed algorithm, we analyzed the following metrics:

1) **Detection Accuracy Rate**

It is a metric that indicates the rate of the detection accuracy (see Equation 8). In the ideal scenario, the ratio should be equal to 1. If the ratio is very low compared to the ideal, this indicates some faults in the approach design.

\[
\text{DAR} = \frac{\text{OutlierDetected}}{\text{AllOutlier}}
\]  

Where OutlierDetected represents all the gathered data considered as outlier and AllOutlier represents the total amount of outliers.

2) **False Alarm Rate**

This metric (see Equation 9) represents the number of false alarms, i.e., the data assumed to be
false among all the correct data. To achieve a reliable detection, we should have a very small rate.

\[
FAR = \frac{DataAssumedFalse}{AllCorrectData}
\]

(9)

Where DataAssumedFalse represents the amount of false gathered data and AllCorrectData represents the amount of correct gathered data.

B. Simulation parameters

Experiments have been performed by using the realistic node behaviors, radio and wireless channel models included in the Castalia 3.2 simulator, which is based on the OMNet++ 4.6 platform. Simulations were carried out with randomly and uniformly deployed stationary sensors on a sensing area whose dimensions are 100x100 m². To provide realistic results, we consider five scenarios of network with sizes of 10, 50, 60, 80 and 100. All sensors are homogeneous, there is no special sensor with a particular behavior. The key simulation parameters are depicted in the Table 1.

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Square (m²)</td>
<td>100 x 100</td>
</tr>
<tr>
<td>Number of sensors</td>
<td>10, 50, 60, 80, 100</td>
</tr>
<tr>
<td>Number of clusters</td>
<td>1, 2, 3, 4, 5</td>
</tr>
<tr>
<td>Data packet size (Bytes)</td>
<td>4</td>
</tr>
<tr>
<td>Bandwidth (KByte/s)</td>
<td>16</td>
</tr>
<tr>
<td>Queue size (packets)</td>
<td>5</td>
</tr>
<tr>
<td>MAC protocol</td>
<td>T-MAC</td>
</tr>
<tr>
<td>Transmission channel</td>
<td>Wireless link</td>
</tr>
<tr>
<td>Radio layer</td>
<td>CC2420 radio</td>
</tr>
<tr>
<td>Propagation model log</td>
<td>Normal path loss model</td>
</tr>
<tr>
<td>Simulation times (s)</td>
<td>60, 300, 600</td>
</tr>
</tbody>
</table>

C. Results and discussion

In the following, we present the results obtained when applying our distributed adaptive model for outlier detection. We have applied the model in WSN with and without clustering. We executed our algorithm on different periods (60s, 300s, 600s) with various number of sensors (10, 50, 60, 80, 100). To assess the performance of our model, we injected outliers at various time of the simulation in order to compute the detection accuracy rate (DAR) and the false alarm rate (FAR). The basic idea is to increase the number of outlier and observe the behavior of our model.

Figure 2 represents the detection accuracy rate obtained after 60s of simulation of our model without clustering the sensor nodes. The Detection Accuracy (DA) is reaches 1 with 60, 80 and 100 sensor nodes for 5 injected outliers dataset. The best scenario is thus reached.

In Figure 3, we report the detection accuracy obtained after simulation for our model over a period of 60s while clustering the sensor nodes. The DA reaches value 1 with 50, 60, 80, 100 sensor nodes for 5 outliers dataset. This best scenario is also achieved with 100 sensor nodes for 10 injected outliers dataset. Figure 4 presents the False alarm rate of our model.

Fig. 2. Detection accuracy rate after 60 s without clustering

Fig. 3. Detection accuracy rate after 60 s with clustering

Fig. 4. False alarm rate 60 s
We repeated the simulation of our model this time over a period of 300s without clustering the sensor nodes. Figure 5 represents the results obtained. The DA reaches value 1 with 60, 80, 100 sensor nodes for 5 dataset of outliers injected in WSN. For 10 outliers dataset inject, value 1 is reached with 100 sensor nodes.

Figure 6 represents the results obtained after 300s of simulation while clustering sensor nodes. The DA reaches value 1 with 60, 80, 100 sensor nodes for 5 outliers dataset injected in WSN. It also reached 1 with 80 sensor nodes for 10 dataset of outliers injected.

In Figure 7, we represent the false alarm rate of our model after a period of 300s. Graphs in Figure 7 show that the model becomes good from 50 sensor nodes.

We have conducted a last simulation that lasted 600s. The Figure 8 represents the results of that simulation without clustering sensor nodes. The DA reaches value 1 with 60, 80, 100 sensor nodes for 5 outliers dataset injected in WSN. For 10 dataset of outliers injected, the value 1 is reached with 100 sensor nodes.

In Figure 9 we represent the results obtained after 600s of simulation while clustering sensor nodes. The DA reaches value 1 with 50, 60, 80, 100 sensor nodes for 5 outliers dataset injected in WSN. For 10 outliers dataset injected value 1 is reached with 100 sensor nodes.

Figure 10 shows the false alarm rate of our distributed adaptive model. It shows that our approach becomes good with 50 sensor nodes.
Finally, we observed that our distributed adaptive model for outlier detection in WSN achieve good detection accuracy with low false alarm rate. The performance of the model is better when we have a clustered sensor nodes.

6 CONCLUSION

In this paper, we proposed a distributed adaptive scheme for outlier detection in WSNs. In such networks, having significant data among the gathered data by sensor nodes remains a challenge. The proposed approach is based on the Nearest Neighbor Search. We use Mahalanobis distance and Euclidean distance in order to detect outlier while taking into account the size of data gathered by sensor. The proposed approach is suitable for online detection. The performance of the proposed model have been tested by injecting various number of outlier dataset at various times. Experimental results show the effectiveness of our model in term of detection accuracy. The low rate of false alarm indicates the effectiveness of our approach. Moreover, the proposed scheme demonstrates its superiority when sensor nodes are organized in a clustered network. Future work will introduce another objective in the detection, which will consist in the identification of the source of the outlier data.

7 REFERENCES


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